







# **Exploring Interpretable Features for Large Time Series with SE4TeC**

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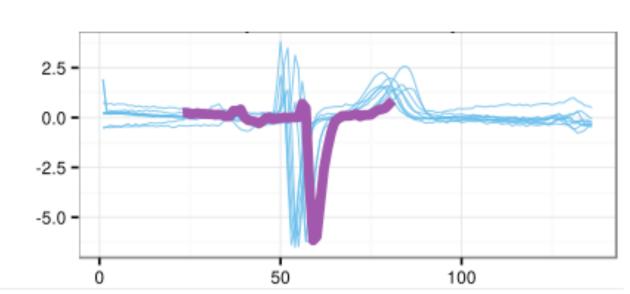
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# Background

**Shapelet**<sup>1</sup>: A representative shape in Time Series which is capable of distinguishing one class from the others

# Time Series(TS) Applications:

- Medical diagnosis
- Industrial troubleshooting
- 3-0-3-



Human Activity Recognition

Astronomy Discovery, etc.

Figure 1: Two classes from the "ECGFiveDays" dataset and the best representative patterns (Shapelets)

# **Problem Statement**

State-of-the-art Shapelets Extraction algorithms:

- High computation cost
- Low scalability in Big Data context
- Low interpretability during extraction process

# Proposals and System structure

Main idea of SE4TeC (Scalable Engine For efficient and expressive Time series Classification):

- Computations should be shared and executed independently
- Small communication cost between the distributed nodes
- Evaluation of the importance of candidate Shapelet could be done partly at local and then be conducted globally

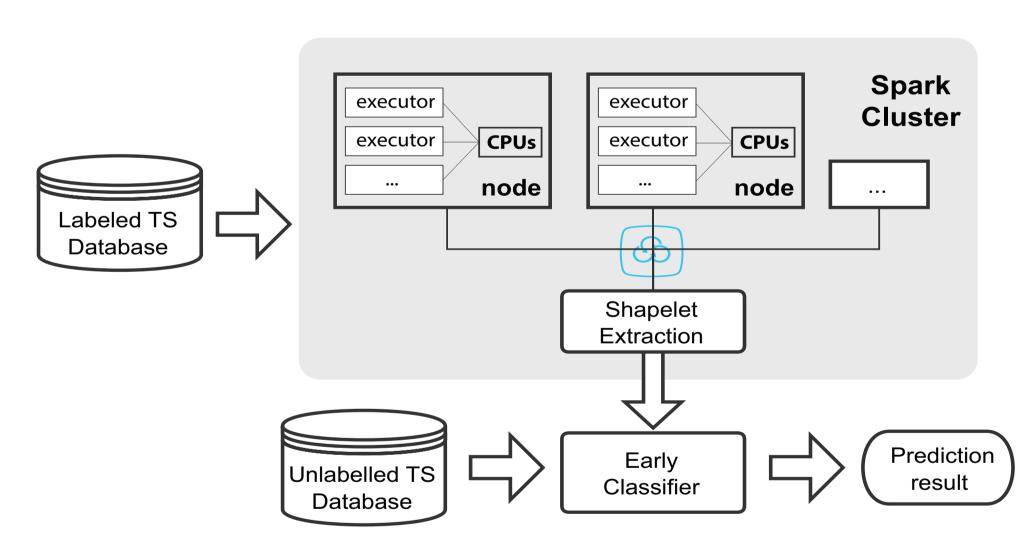
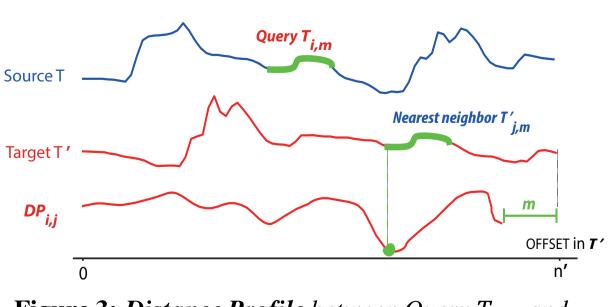


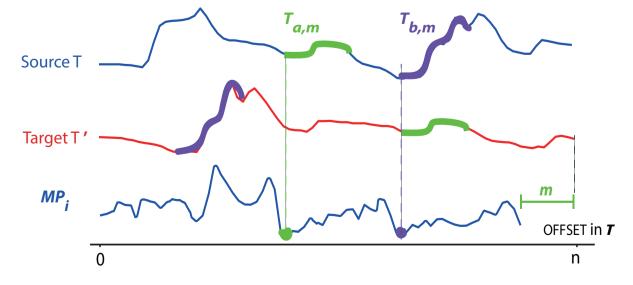
Figure 2: Distributed structure of SE4TeC

# Interpretability

**Distance Profile**<sup>2</sup>: A vector which stores the distance between a given subsequence/query  $T_{i,m}$  and every subsequences  $T'_{j,m}$  of a target Time Series T'. Formally,  $DP^m_{i,j} = dist(T_{i,m}, T'_{j,m}), \forall j \in [0, n'-m+1]$ 

**Matrix Profile**: A vector of distance between subsequence  $T_{i,m}$  in source T and its nearest neighbor  $T'_{j,m}$  in target T'. Formally,  $MP^m_i = min(DP^m_i)$ , where  $i \in [0, n-m+1]$ 





**Figure 3:** Distance Profile between Query  $T_{i,m}$  and target time series T', where n' is the length of T'.  $DP_{i,j}$  can be considered as a meta TS annotating target T'

**Figure 4:** *Matrix Profile* between Source T and Target T', where n is the length of T. Intuitively,  $MP_i$  shares the same offset as source T

#### Reference

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  Chin-Chia Michael Yeh et al. Matrix Pro le I: All Pairs Similarity Joins for Time Series: A Unifying View That Includes Motifs, Discords and Shapelets. In Proc. ICDM 2016
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# Shapelet on MAtrix Profile (SMAP)

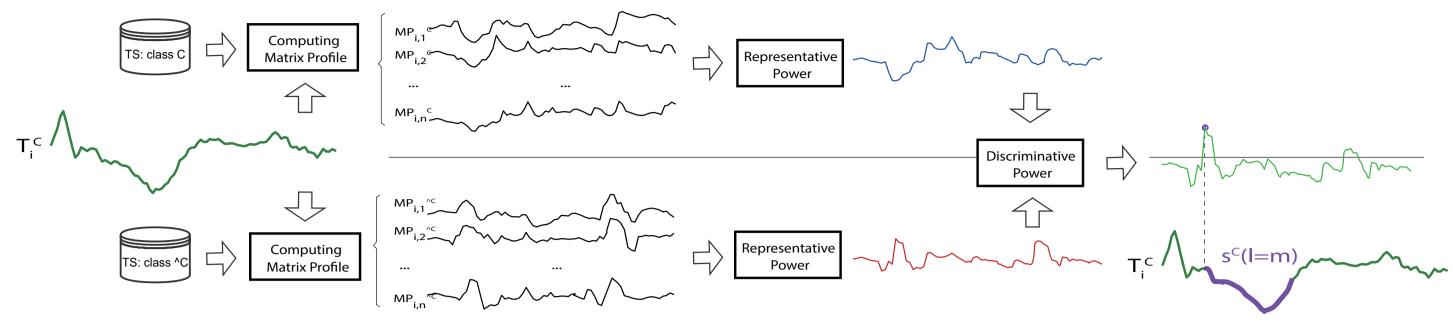


Figure 5: Interpretable Extraction process of Shapelet

# • Assessment of Shapelets in batches

### 1. Representative Profile:

- Shows a vector of representative power of the subsequences in a Time Series
- For each subsequence, compute its average distance to the instances in dataset:

$$RP(T_i^C, D) = avg(MP_{T_i^C, T_i})$$

#### 2. Discrimination Profile:

• For each subsequence, compute the difference of Representative Power from class C to others (OVA, one-vs-all):

$$Discm_{Profile}(T_{i}^{C}, D) = -(RP(T_{i}^{C}, D^{C}) - RP(T_{i}^{C}, D^{!C}))$$

## Advantages of $Discm_{Profile}$ :

- A split distance can be given directly to check the inclusion between Shapelet and Time Series
- $Discm_{Profile}$  VS Information Gain in time:  $O(1) \mid O(N^2n^2)$  (N is the number of TS, n is the length of the longest TS in dataset)
- Inclusion between Shapelet & TS:

$$sInT(T, \hat{s}^C) = \begin{cases} true, & if \ dist(T, \hat{s}^C) \leq RP(\hat{s}^C, D^C) \\ false, & otherwise \end{cases}$$

#### **Optimization of SMAP:**

• There is a big probability that the Nearest Neighbor stays on the same offset when the length of query increases:

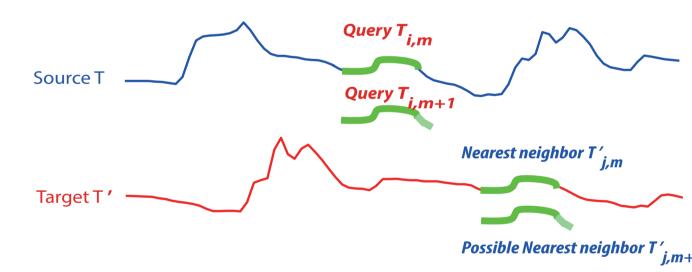


Figure 6: Optimization of SMAP by defining a Lower Bound Distance

• Lower Bound Distance<sup>4</sup>: Based on  $dist(T_{i,l}, T_{j,l})$ , we can estimate a min. possible value of  $dist(T_{i,l+k}, T_{j,l+k})$  to accelerate the calculation of  $min(DP_i^m)$ , other than computing the whole Distance Profile.

# **Experiments & Results**

The program is executed on AWS EMR cluster. The baseline is USE<sup>3</sup>, which utilizes the traditional method for shapelet extraction based on Information Gain. 1NN classier is applied for all accuracy tests. Two real-life sensor datasets are tested on AWS EMR cluster:

- ECG medical diagnosis (ECG200): 100 labelled records, Length=96
- Wafer industrial troubleshooting (Wafer):1000 labelled records, Length=152

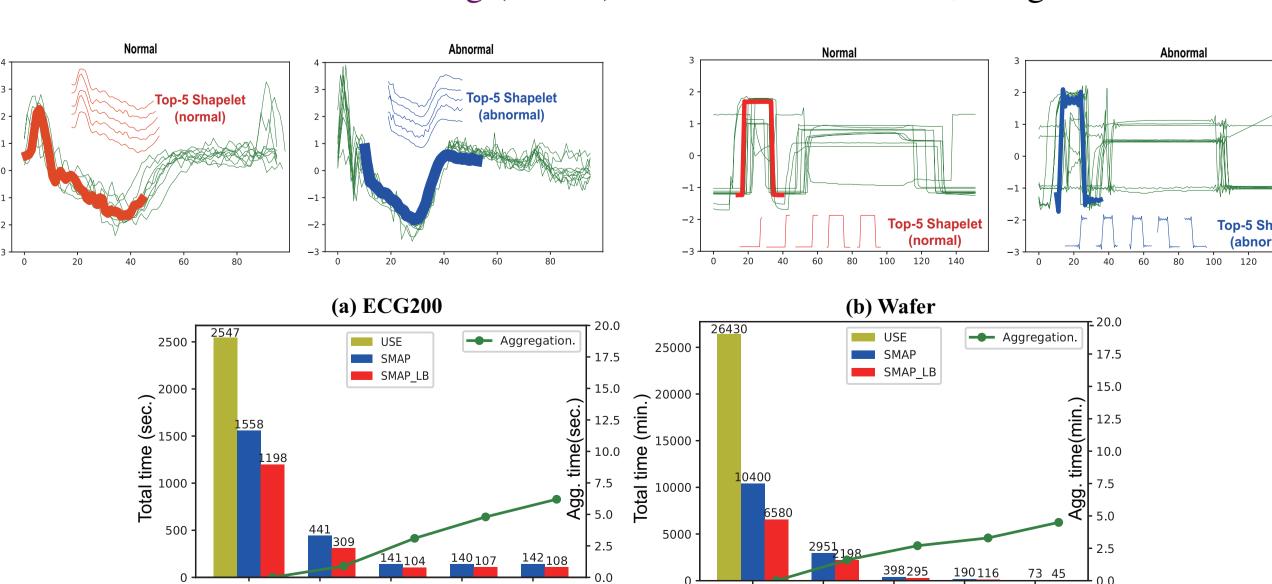


Figure 7: Shapelets extracted from datasets & Performance comparison

From 1 to 30 nodes on cluster mode:

- the total time cost drops to **0.68%**.
- the communication cost between distributed nodes for **Wafer** increases by **181**% Considering the gain, the communication cost can be ignored when we expand the cluster to a larger scale. More details and application results of SE4TeC can be found in our project page: <a href="https://github.com/JingweiZuo/SE4TeC">https://github.com/JingweiZuo/SE4TeC</a>